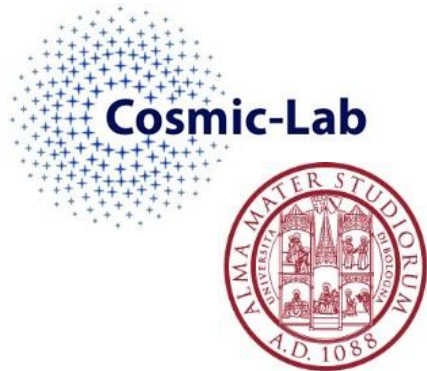


The formation of massive "dark" systems in star clusters and their relation with intermediate mass black holes



*Star Clusters as Cosmic Laboratories for
Astrophysics, Dynamics and Fundamental Physics*

Cosmic Lab – Modest 16
Bologna

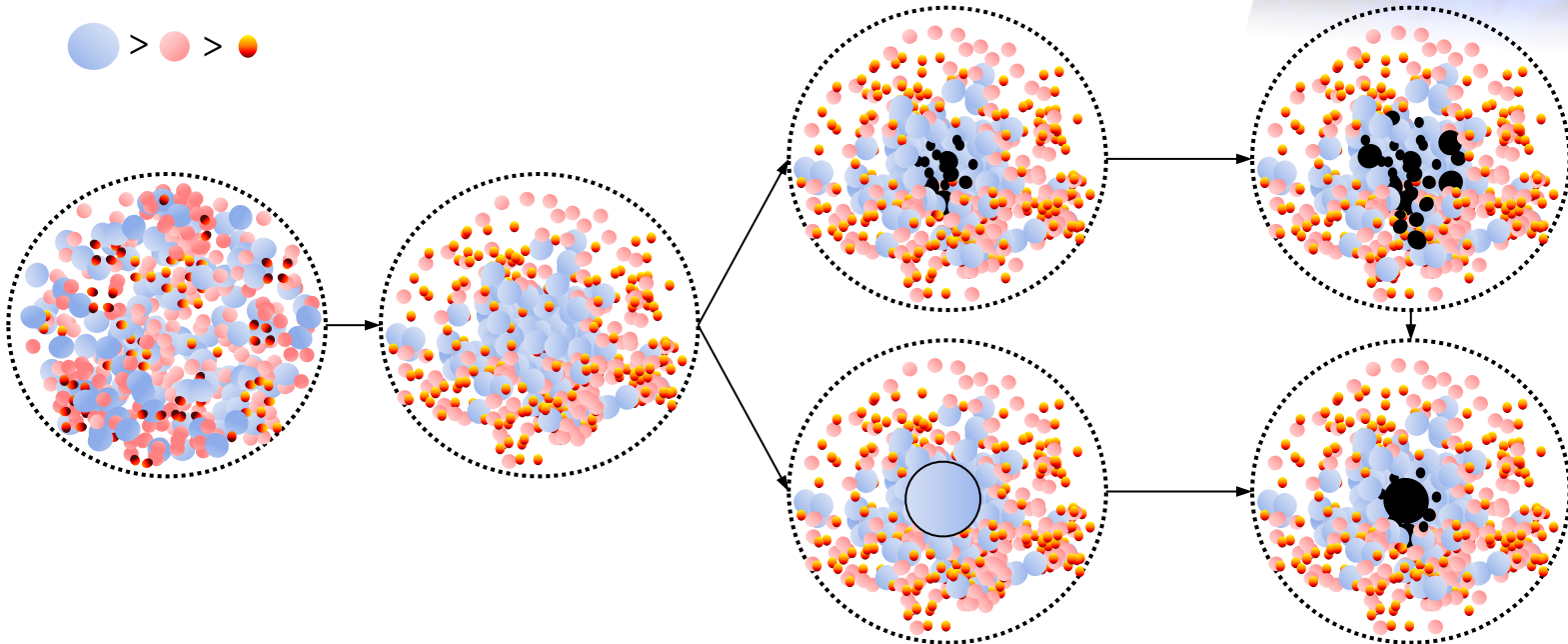
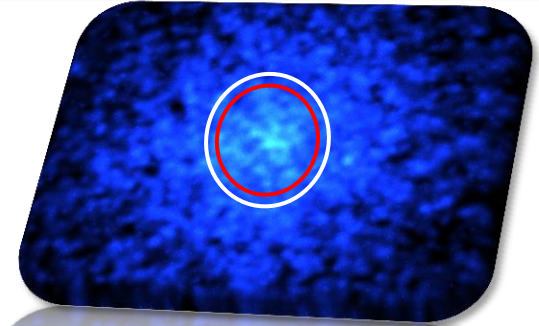


Manuel Arca Sedda
Università di Roma – Sapienza

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Introduction

Several globular clusters contains at their centre more mass than expected, why?



Can a heavy sub-system mime the gravitational effects induced by an IMBH?¹

Numerical approach

- ❑ Semi-analytic models: mass segregation and stellar evolution (tools CODESSE, CODEBSE)
 - ❑ Physical processes included: dynamical friction² (CODE) and stellar evolution³ (SSE), recently also for primordial binaries (BSE);
 - ❑ Sampling star positions and velocities: flat (models U) and Dehnen (D) mass distribution;
 - ❑ Sampling star masses: Kroupa (models K), Salpeter (S), flat (R) initial mass function;
 - ❑ Host cluster mass: $M_{GC} = 10^3 - 2 \times 10^6 M_{\odot}$;
 - ❑ Host cluster metallicity: $Z = 0.02 (= Z_{\odot})$ (models A) and 0.0004 (typical value for GCs, models B);
 - ❑ Database provided by Lutzgendorf et al. (2013), and data by Lanzoni et al. (2013) and Haggard et al. (2013).
- ❑ N-body simulations:
 - ❑ HiGPUS⁴: runs on GPUs, Hermite 6^o order with block-time steps, no treatment for binaries and close encounters;
 - ❑ HiGPUSSE¹: HiGPUS + SSE;
 - ❑ ARWC-M: modified version of a serial N-body code that implements the algorithmic regularization for close encounters⁵ and external potential;

Table 1. Parameters of the cluster models.

| Model | IMF | $\rho(r)$ | Z | $M_{GC} (M_{\odot})$ |
|-------|-----|-----------|--------|------------------------|
| A1 | K | U | 0.02 | $10^3 - 3 \times 10^6$ |
| A2 | K | D | 0.02 | $10^3 - 3 \times 10^6$ |
| A3 | S | U | 0.02 | $10^3 - 3 \times 10^6$ |
| A4 | S | D | 0.02 | $10^3 - 3 \times 10^6$ |
| A5 | F | U | 0.02 | $10^3 - 3 \times 10^6$ |
| A6 | F | D | 0.02 | $10^3 - 3 \times 10^6$ |
| B1 | K | U | 0.0004 | $10^3 - 3 \times 10^6$ |
| B2 | K | D | 0.0004 | $10^3 - 3 \times 10^6$ |
| B3 | S | U | 0.0004 | $10^3 - 3 \times 10^6$ |
| B4 | S | D | 0.0004 | $10^3 - 3 \times 10^6$ |
| B5 | F | U | 0.0004 | $10^3 - 3 \times 10^6$ |
| B6 | F | D | 0.0004 | $10^3 - 3 \times 10^6$ |

Notes. Column 1: name of the model. Column 2: IMF used to sample masses of the stars: Kroupa (K); Salpeter (S) and flat (F). Column 3: spatial density profile of the stars: uniform (U) and Dehnen (D). Column 4: metallicity of the cluster. Column 5: masses of the cluster models.

² Arca Sedda M., Capuzzo-Dolcetta R., 2014, ApJ, 785, 51

³ Hurley J. R. et al., 2000, MNRAS, 315, 543

⁴ Capuzzo-Dolcetta R. et al., 2013, JCP, 236, 580

⁵ Mikkola S., Tanikawa K., 1999, MNRAS, 310, 745

RESULTS 1/2: formation of a massive sub-system (MSS)

MSS composition

$$\tau_{DF} = K(e, \gamma, t_{cr}) \left(\frac{m_*}{M_{GC}} \right)^{-0.67} \left(\frac{r_*}{r_{GC}} \right)^{1.76}$$

$$\tau_{MSS} = r_{GC} \frac{\mu}{1 - \mu}; \quad \mu = \left(\frac{m_*}{M_{GC}} \right)^{1/(3-\gamma)}$$

$$r_*(t) = r_* \left[1 - \frac{t}{\tau_{DF}(r_*)} \right]^{0.57}$$

$$\epsilon_{DF} = 1 - \tau_{DF}/\tau_{DFnb} < 20\%$$

Scaling relations

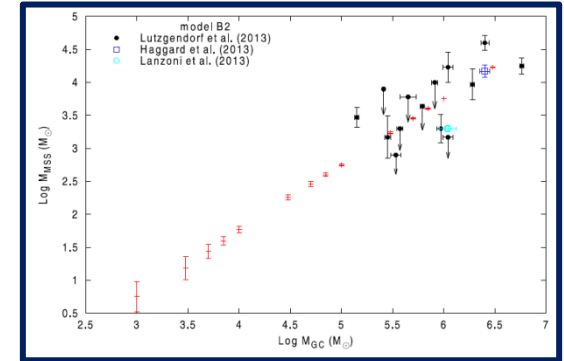
$$\text{Log} \left(\frac{M_{MSS}}{M_{\odot}} \right) = a \text{Log} \left(\frac{M_{GC}}{M_{\odot}} \right) + b,$$

ω_{Cen} :

$$M_{MSS} = (1.45 \pm 0.03) \times 10^3 M_{\odot}$$

NGC6388:

$$M_{MSS} = (6.4 \pm 1.2) \times 10^3 M_{\odot}$$



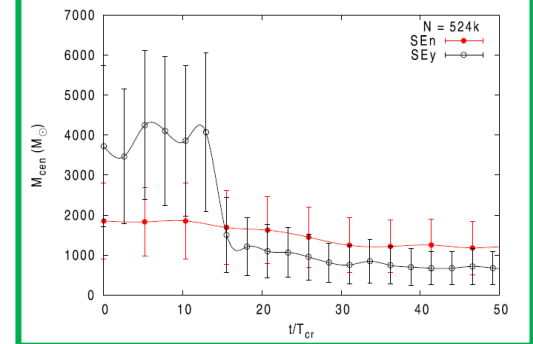
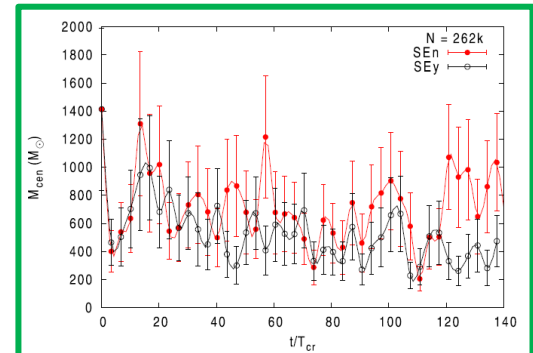
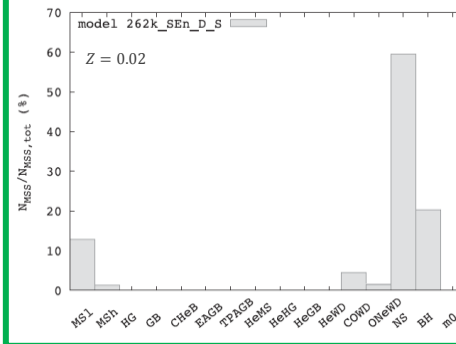
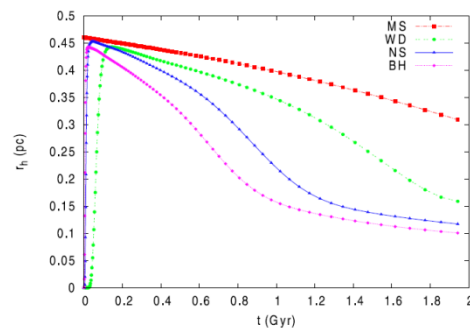
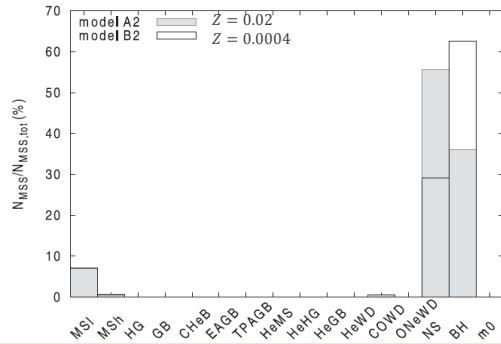
N-body simulations (8k-524k stars)

- SE: yes vs not;
- MSS composition and size;
- GC density profile and dispersion:

$$\Sigma(R) \propto R^{+1.30 \pm 0.05}$$

$$\sigma(R) \propto R^{-0.12 \pm 0.01}$$

$$R < 0.1 \text{ pc}$$



RESULTS 2/2:

- Energy equipartition: is $\sigma(m) \propto m^{-2}$?
No !

the dispersion increases

- Pros:** precise integration of gravitational encounters and stellar evolution;
- Cons:** does not account for close interactions and binary stars.

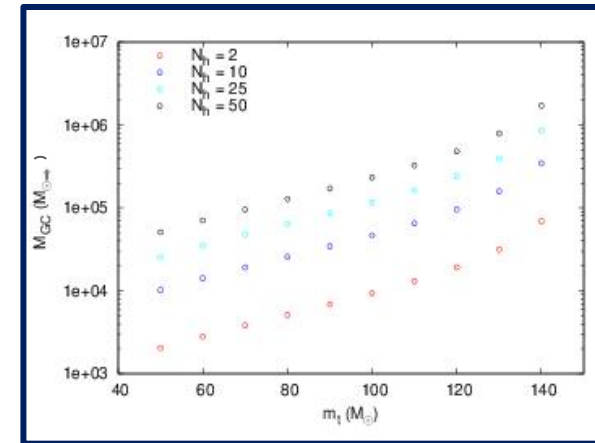
- Primordial binaries

$$N(m_*) = \int_{m_*}^{m_M} f(m) dm$$

For a Kroupa IMF

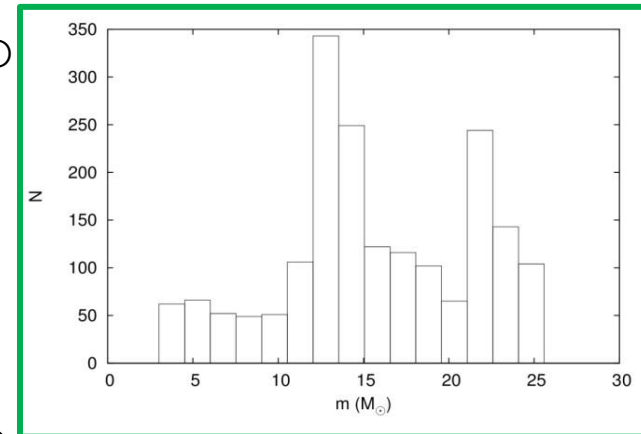
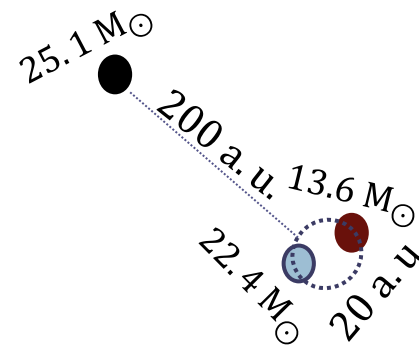
$$N(m_* > 120 M_\odot) = 2$$

implies $M_{GC} \geq 10^4 M_\odot$



- Gravitational waves sources

- CODE: ARWC-M
- Host mass: $10^4 M_\odot$
- $N_{BH} = 30$



$$M_{BH1} + M_{BH2} = 36 M_\odot$$

$$M_{BH3} = 25.1 M_\odot$$

